





Suspicious of fluctuations? A signal processing view on dynamic functional connectivity

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Estimating dynamic FC

- Look at network dynamics
 - Parcellation can be atlas based or functional
 - Sliding-window pairwise correlations



600

500



400

700







Spurious fluctuations of dynFC

Sliding-window covariance revisited:



Spurious fluctuations of dynFC

Max-min for all different window shifts n





Real fluctuations of dynFC

Two deterministic signals:

$$x_{i} = \sqrt{2}\cos(2\pi f i \operatorname{TR})$$

$$y_{i} = \sqrt{2}\cos(2\pi f i \operatorname{TR})\cos(2\pi f_{0} i \operatorname{TR})$$

 \blacksquare modulatory component with frequency $f_0 << f$

Sliding-window covariance revisited:

$$c_{xy}[n] = \frac{\text{TR} \sin(\pi f_0 w)}{w \sin(\pi f_0)} \cos(2\pi f_0 n \text{TR}) + \text{harmonics}$$

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Effect of sampling (TR) and noise



DynFC is not about data reduction

Sliding window correlation in 3 healthy subjects
 Window length is 30 TRs, step of 2 TRs, TR=1.1sec



- Number of connections grows quadratically with #regions
- Rank of each FC frame is limited by window length (in TRs)

Building blocks of dynFC



- Various types of matrix factorizations are possible
 - k-means
 - PCA

. . .

- sparsity constraints
- FC patterns are in common for all subjects



Eigenconnectivities



Thank you for the dynamical attention

